NCNA 2020-21 Solution Slides

NCNA Judges

Problem Set Developers

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- Finn Lidbetter
- Anindya Das
- Nalin Bhardwaj
- Tomas Rokicki
- Marc Furon (SoCal)
- Ed Skochinski (SoCal)
- Ronqi Qiu (SoCal)
- Bob Logan (SoCal)
- Nalin Bhardwaj
- Yinzhan Xu
- Pasha Kazatsker

E - Curve Speed

Problem

Given R and S, evaluate the equation:

$$V = \sqrt{(R * (S + .16))/.067}.$$

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Pitfalls

- Not rounding properly.

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Solution

Straightforward.

Pitfalls

- Not rounding properly.
- Not reading to end-of-input properly.

E - Curve Speed

Java Code

```
public static void main(String[] args) {
  Scanner scan = new Scanner(System.in);
  while (scan.hasNext()) {
    double R = scan.nextDouble();
    double S = scan.nextDouble();
    double V = Math.sqrt(R * (S + 0.16) / 0.067);
    long ans = Math.round(V);
    System.out.println(ans);
  }
}
```

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```

Statistics: 235 submissions, 77 accepted.

K - ICPC Record Matching

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Given two lists of names and emails, determine which records do not match on either first name and last name or email with any record in the other list.

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- TLE on some $O(n^2)$ solutions (sorry).

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Statistics: 248 submissions, 27 accepted.

H - Digital Speedometer

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Given a list of speeds, round them according to the given rules.

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Pitfalls

- Finding the "most recent preceding value for s outside of range $[i + t_f, i + t_r]$" is prone to bugs. You are better off iterating backwards to ensure you do it correctly. This is worst-case $O(n^2)$, though with the input bounds this should be fine. I also didn't create any cases to force $O(n^2)$ runtime on look-back solutions (oops).

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- Confusion on inclusivity of "falls between" (it doesn't matter since t_f and t_r are of the form $0.x5$, where $x \in \{0, \ldots, 9\}$, and speed is given to the first decimal place.).

H - Digital Speedometer

Pitfalls, cont.

- It is possible $t_f > 0.5$ or $t_r < 0.5$, so avoid library rounding.

H - Digital Speedometer

Pitfalls, cont.

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Statistics: 339 submissions, 40 accepted.

D - Substring Characters

Problem

For each string in input, determine the number of unique proper contiguous substrings that have the same set of characters as the input string and contain no proper substrings also containing the same set of characters as the input string.

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One straightforward solution:

1. Given a starting index i, find the smallest j such that the substring from i to j has all unique characters; call it `ending`(i).

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1. Given a starting index i, find the smallest j such that the substring from i to j has all unique characters; call it $\texttt{ending}(i)$.
2. Add into a set/hashset all proper substrings $[i, j]$ where $\texttt{ending}(i+1) \neq \texttt{ending}(i)$.

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3. Report the number of strings in the set.

D - Substring Characters

Pitfalls

- I/O. Again. Many submissions did not pass sample data.

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- I/O. Again. Many submissions did not pass sample data.

Statistics: 105 submissions, 36 accepted.

A - LogDB

Problem

Given a set of "facts", resembling function calls, and a set of queries, determine how many facts are matched by each query, following the stated rules for matching.

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Solution

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Solution

Given a query, check each fact to determine if it matches.

Pitfalls

Inproper handling of spaces between tokens. Testcase `handmade2.in`:

```
fact(a,b,c)
fact ( a , b,c)

fact(_,_,_) // should be 2
```

A - LogDB

Pitfalls

Inproper logic. Testcase `handmade1.in`:

```
test(arg1, arg1)
test(arg1, arg2)

test(__arg2, __arg2)                    // 1
test(__arg1, __arg2)                    // 2
test2(_, __)                            // 0
test(_, __)                             // 2
test(_, __)                             // 2
```

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test(_, __)                             // 2
```

Statistics: 96 submissions, 24 accepted.

J - Ada Loveslaces

Problem

Given specifications for a set of points on a 2D plane representing shoelace holes, determine the number of valid symmetric shoelace patterns that result in shoelace lengths between a lower bound f_{min} and upper bound f_{max}.

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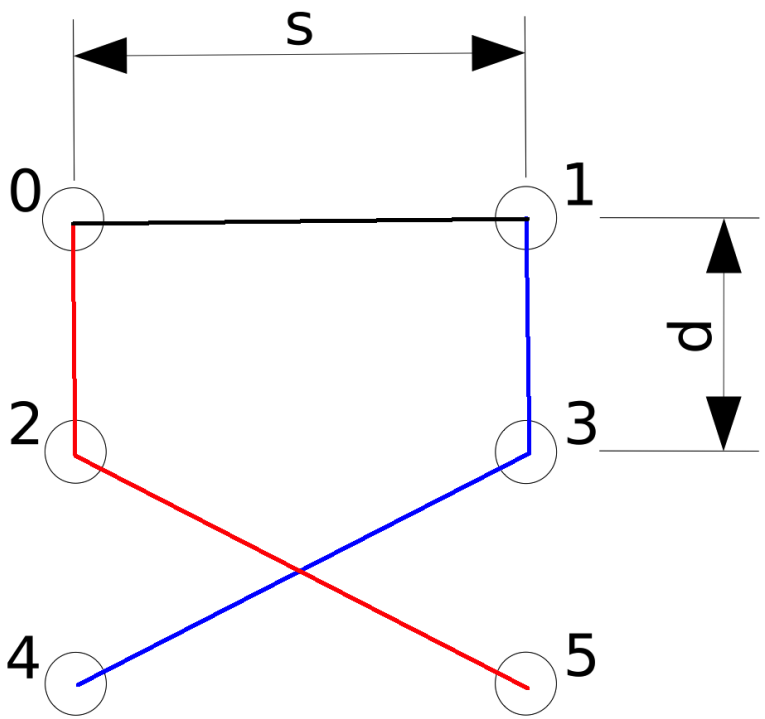
Solution

- The first task is to get an upper bound on the number of possible valid lacing patterns.

J - Ada Loveslaces

Since hole 0 must go to 1 or 1 to 0, and we must start and end at $2N-2$ and $2N-1$, we can figure out the pattern from $2N-2$ to 0 or 1, then the rest of the holes are a reflection.



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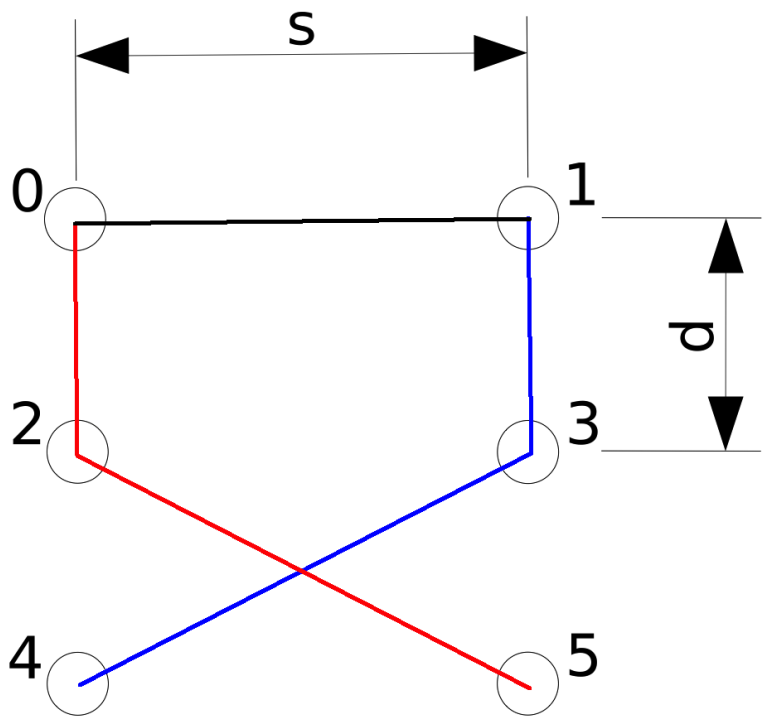

We can only choose one of $\{2,3\},\{4,5\},\ldots,\{2N-4,2N-3\}$ on the way from $2N-2$ to 0 or 1 so that we may complete the reflection.

J - Ada Loveslaces

Solution

A loose upper bound can be determined as follows. Consider the pattern between $2N-2$ and whichever of 0 or 1 the lace goes through first.

- Of each pair $\{0,1\},\{2,3\},\ldots,\{2N-4,2N-3\}$ the lace goes through either the left hole, the right hole, or neither hole (for $\{0,1\}$ it must go through either the left or right hole).

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- We can bound the number of possible orders of pairs the lace travels through at $(N-2)!$.

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- Of each pair $\{0,1\},\{2,3\},\ldots,\{2N-4,2N-3\}$ the lace goes through either the left hole, the right hole, or neither hole (for $\{0,1\}$ it must go through either the left or right hole).
- We can bound the number of possible orders of pairs the lace travels through at $(N-2)!$.
- Thus we get a loose upper bound of $3^{N-1}\cdot(N-2)!$. With $N=9$, this is $\approx 33\,000\,000$.

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- We can bound the number of possible orders of pairs the lace travels through at $(N-2)!$.
- Thus we get a loose upper bound of $3^{N-1}\cdot(N-2)!$. With $N=9$, this is $\approx 33\,000\,000$.
- Tighter upper bounds can show the number of valid patterns is more like 30 000, but the loose bound should suffice to show a brute force solution is fast enough.

J - Ada Loveslaces

Final Solution

Brute force all valid patterns, then count how many patterns result in shoelace length between f_{min} and f_{max}.

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Pitfalls

Recomputing patterns for each shoelace length rather than storing them. In a slow language this can TLE on big cases.

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Pitfalls

Recomputing patterns for each shoelace length rather than storing them. In a slow language this can TLE on big cases.

Statistics: 41 submissions, 6 accepted.

F - Agamemnon's Odyssey

Problem

Given a tree, find the value of a maximum value path that visits each edge at most k times, where the value of a path is the weight of every distinct edge in the path.

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Solution

- The first observation is to see that since the graph is a tree, if $k \geq 2$, we can take all edges, since it is always possible to visit every edge of a tree while visiting no edge more than twice; see for example: `https://en.wikipedia.org/wiki/Maze_solving_algorithm#Wall_follower`.

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- Otherwise, if $k = 2$, we are looking for the longest path in a weighted tree, also known as the *diameter* of the tree.

F - Agamemnon's Odyssey

Solution

This is a classic problem; solutions can be found online. Two are:

1. Run a Dijkstra (DFS) from a node u to find the farthest away node v. Run dijkstra again from v to find the farthest away node t. The path from v to t is the longest in the tree (not too hard to prove yourself!).

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2. Root the tree arbitrarily, and run a dynamic program to find the maximum length path. Details of which are also straightforward; try yourself or consult the internet.

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2. Root the tree arbitrarily, and run a dynamic program to find the maximum length path. Details of which are also straightforward; try yourself or consult the internet.

Statistics: 22 submissions, 6 accepted.

C - Redundant Binary Notation

Problem

Given a number $N \leq 10^{16}$ and $t \leq 100$, determine the number of representations N has in a form of binary where each digit can be $0, 1, \ldots,$ or t.

Solution

Consider the possible length-three prefixes to valid representations of N with $t = 2$. Here they are listed from smallest to largest, with equal representations on the same line.

```
111
110   022   102
101   021
100   012   020
011
010   002
001
000
```

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110   022   102
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000
```

How many can be valid prefixes? The binary notation takes exactly one. Because we can represent larger values with less digits using digit 2, we could also take the line below it. But we can't take two lines below it! If you fill the remainder of the digits with 2's, the value represented will be less than the binary representation prefix with 0's for the remaining digits.

Solution

- Example: say the first three digits of N in binary starts as 010. Then we can also potentially represent N starting with 001, since $00122\ldots2 = 002022\ldots2 = 010111\ldots0$, which is only one less than the maximum number representable starting with 010 in binary.

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- However, if we start 000, then even if all remaining digits are 2, the maximum number we can represent is $00022\ldots2 = 001022\ldots2 = 00111\ldots0$, which is less than any binary number starting with 010.

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- Example: say the first three digits of N in binary starts as 010. Then we can also potentially represent N starting with 001, since $00122\ldots2 = 002022\ldots2 = 010111\ldots0$, which is only one less than the maximum number representable starting with 010 in binary.
- However, if we start 000, then even if all remaining digits are 2, the maximum number we can represent is $00022\ldots2 = 001022\ldots2 = 00111\ldots0$, which is less than any binary number starting with 010.
- This is true if we list all the prefixes of any length! Furthermore, generalizing to general t instead of 2, we can show that less than t lines below the binary representation will allow a valid representation.

C - Redundant Binary Notation

Final Solution

- We can brute force the start of the number, counting the number of ways to fill the rest in.

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- Let

$$\texttt{Ways}(i, d) := \text{number of ways to represent } i \text{ in } d \text{ digits.}$$

We can try all digits $0, \ldots, t$ in the leading position d and then recurse on the remaining number. We prune the DP by returning 0 if $i > t(2^d - 1)$ or $i < 0$.

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- The previous analysis shows there will be at most $O(t \log N)$ explored states of the DP when called with $\texttt{Ways}(N, \lfloor \log_2(N) \rfloor + 1)$.

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Statistics: 12 submissions, 6 accepted.

I - Staggering to the Finish

Problem

Given parameters of a track, determine the staggered starting locations of a D-meter race.

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Solution

Draw triangles and use trigonometry to determine the locations, according to spec.

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B - Ride-Hailing

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Given a schedule of k trips that must be completed in a graph, determine the minimum number of drivers necessary to complete all trips.

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Solution

- This is a classic matching problem. The solution is to match trips to trips.
- A trip i can be matched to trip j if it is possible for a driver to complete trip i, then arrive at the start of trip j at or before the start of trip j.
- A maximum matching determines the number of drivers necessary. A driver can start at any unmatched trip, then follow the chain of matchings for next trips. The answer is thus k minus the maximum matching.

B - Ride-Hailing

Comments

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- Unfortunately, we were unable to separate solutions based on graph representation and flow algorithm (without disadvantaging Java), so the time limits are set to accept them all.

Statistics: 20 submissions, 3 accepted.

L - Codenames

Problem

Given the board of a codenames game and a list of possible hint words with which board words they are associated, determine the probability of winning the game, given that guessers pick uniformly at random from available board words associated with the given hint word.

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Solution

- Straightforward subset DP to evaluate all possible game states.

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- Let `DP(board,turn,hint,guesses)` := probability player whose turn it is wins, given the live cards, the hint word, and how many guesses remain.

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- Board is an N-bit bitmask where a 1 represents a live card.

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- Straightforward subset DP to evaluate all possible game states.
- Let `DP(board,turn,hint,guesses)` := probability player whose turn it is wins, given the live cards, the hint word, and how many guesses remain.
- Board is an N-bit bitmask where a 1 represents a live card.
- The recurrence is as follows: if this is a guessing state (`guesses`> 0), then we make a uniformly-random choice among live cards associated with `hint`, then recurse on the remaining state.

L - Codenames

Solution

- Otherwise, it is a clue-giving state, and we consider all possible remaining hint words and all possible values for K, taking the maximum.

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- Number of states: $2^N \cdot 2 \cdot M \cdot N$. Time to compute each state:

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- Number of states: $2^N \cdot 2 \cdot M \cdot N$. Time to compute each state:
  - $O(N)$ on a guessing state. ($2^N \cdot 2 \cdot M \cdot N$ guessing states.)

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  - $O(N)$ on a guessing state. ($2^N \cdot 2 \cdot M \cdot N$ guessing states.)
  - $O(MN)$ on a clue-giving state. ($2^N \cdot 2$ clue-giving states.)

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- Number of states: $2^N \cdot 2 \cdot M \cdot N$. Time to compute each state:
  - $O(N)$ on a guessing state. ($2^N \cdot 2 \cdot M \cdot N$ guessing states.)
  - $O(MN)$ on a clue-giving state. ($2^N \cdot 2$ clue-giving states.)
- Final complexity: $O(2^N \cdot M \cdot N^2) \approx 700\,000\,000$ iterations, which is a lot, but bit operations are fast and a 15 second time limit generous.

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- Number of states: $2^N \cdot 2 \cdot M \cdot N$. Time to compute each state:
  - $O(N)$ on a guessing state. ($2^N \cdot 2 \cdot M \cdot N$ guessing states.)
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Statistics: 45 submissions, 1 accepted.

G - Safest Taxi

Problem

Given a road map of a city grid, including lane layouts, determine the shortest amount of time to fulfill a trip using at most X left turns and Y lane changes.

G - Safest Taxi

Problem

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Solution

- State-based Dijkstra.

G - Safest Taxi

Problem

Given a road map of a city grid, including lane layouts, determine the shortest amount of time to fulfill a trip using at most X left turns and Y lane changes.

Solution

- State-based Dijkstra.
- State: street and direction, lane, number of left turns taken so far, number of right turns taken so far.

G - Safest Taxi

Problem

Given a road map of a city grid, including lane layouts, determine the shortest amount of time to fulfill a trip using at most X left turns and Y lane changes.

Solution

- State-based Dijkstra.
- State: street and direction, lane, number of left turns taken so far, number of right turns taken so far.
- Graph should have about $O(NMKXY)$ vertices and slightly more edges.

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Statistics: 0 submissions, 0 accepted.

Questions? Comments? Concerns? Email Bryce Sandlund: bcsandlund@gmail.com.